- Knowledge as structured and organized in terms of what the knowledge is about, the objects of knowledge.
- Objects with parts, constraints
- Frame (Minsky 1975)

- Individual Frames to represent single objects
- Generic Frames to represent categories of objects.
- slots, fillers

```
(Frame-name
  <slot-name1 filler1>
    <slot-name2 filler2>
....)
```

(tripLeg123
 <:INSTANCE-OF TripLeg>
 <:Destination toronto>..)

(toronto

<: INSTANCE-OF CanadianCity>

<: Province ontario>

<: Population 4.5M>..)

(CanadianCity

<:IS-A City>

<: Province CanadianProvince>

<:County canada>..)

(Table

<:Clearance [IF-NEEDED ComputeClearanceFromLegation]

(Lecture
 <:DayOfWeek WeekDay>
 <:Date [IF-ADDED ComputeDayofWeek]>
 ..)

(Table

<:Clearance [IF-NEEDED ComputeClearanceFromLeg ...)

(CoffeeTable

<:IS-A Table>...)

(MahoganyCoffeeTable

<:IS-A CoffeeTable>..)

(Elephant

- <:IS-A Mammal>
- <:EarSize large>
- <:Color gray>...)

(raja

- <: INSTANCE-OF Elephant>
- <:EarSize small>..)

(RoyalElephant

<:IS-A Elephant>

<:Color white>...)

(clyde

<: INSTANCE-OF RoyalElephant>

..)

- 1. a user or external system declares that an object exists, thereby instantiating some generic frame;
- any slot fillers that are not provided explicitly, but can be inherited, are computd;
- 3. for each slit with a filler, any **IF-ADDED** procedure that can be inherited is run, possibly causing new slots to be filled, or new frames to be instantiated, and the cycle repeats.

- Objects fall into classes.
- Some classes are more general than others.
- Objects have parts.
- concepts, roles constants

Logical Symbols

- 1. punctuation: "[", "]", "(", ")";
- 2. positive integers: 1, 2, 3, etc.
- 3. concept-forming operators:

"ALL", "EXISTS", "FILLS", "AND";

4. connectives: " \sqsubseteq ", " \doteq ", " \rightarrow ".

Non-Logical Symbols

- atomic concepts: written in capitalized mized case, e.g., Person, WhiteWine, FatherOfOnlyDaughters; and a special atomic concept Thing.
- 2. roles: written like atomic concepts, but
 preceded by ":", e.g., :Child, :Height,
 :Employer, :Arm.
- 3. constants: writtein in uncapitalized mixed case, e.g. table13, maryAnnJones.

There are four types of syntactic expressions:

- 1. constants
- $2. \ roles$
- 3. concepts
- 4. sentences

The set of concepts of \mathcal{DL} is the least set satisfying:

- every atomic concept is a concept;
- if r is a role and d is a concept, then [ALL r d] is a concept;
- if r is a role and n is a positive integer, then [EXISTS n r] is a concept;
- if r is a role and c is a constant then, [FILLS r c] is a concept;
- if $d_1 \dots d_n$ are concepts, then [**AND** $d_1 \dots d_n$] is a concept;

- if d_1 and d_2 are concepts, then $[d_1 \sqsubseteq d_2]$ is a sentence;
- if d_1 and d_2 are concepts, then $[d_1 \doteq d_2]$ is a sentence;
- if c is a constant and d a concept, then $[c \rightarrow d]$ is a sentence.

$[\mathbf{EXISTS} \ n \ r]$

$[\mathbf{EXISTS} \ 1 : \mathtt{Child}]$

$[\mathbf{FILLS} \ r \ c]$

[EXISTS :Cousin vinny]

$[\mathbf{ALL} \ r \ d]$

[ALL : Employee UnionMember]

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[ANDWine [FILLS :Color red] [EXISTS 2 :GrapeType]

$$(d_1 \sqsubseteq d_2)$$

$$(\texttt{Surgeon} \sqsubseteq \texttt{Doctor})$$

$$(d_1 \doteq d_2)$$

$$(d_1 \to d_2)$$

(ProgressiveCompany ≐
 [ANDCompany
 [EXISTS 7 : Director]
 [ALL 7 : Manager[AND Woman
 [FILLS : Degree phD]]]
 [FILLS: MinSalary \$24.00/hour]])

Knowledge Fusion

An interpretation \Im for DL is a pair

$\langle \mathcal{D}, \mathcal{I} \rangle$

where D is any set of objects called the *domain* of the interpretation

and

I is a mapping called the *interpretation mapping* from the non-logical symbols of DL to elements and relations over D.

where

- 1. for every constant symbol $c, \mathcal{I}[c] \in \mathcal{D};$
- 2. for every atomic concept $a, \mathcal{I}[a] \subseteq \mathcal{D}$;
- 3. for every role symbol $r, \mathcal{I}[c] \subseteq \mathcal{D} \times \mathcal{D};$

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- $\mathcal{I}[\texttt{thing}]$
- $\mathcal{I}[\mathbf{ALL} \ r \ d]$
- $\mathcal{I}[\mathbf{EXISTS} \ n \ r]$
- $\mathcal{I}[\mathbf{FILLS} \ r \ c]$
- $\mathcal{I}[\mathbf{AND}d_1 \dots d_n]$

Given an interpretation \Im , we say that α is true in \Im , or $\Im \models \alpha$ according to the following rules.

1.
$$\Im \models (c \to d) \text{ iff } \mathcal{I}[c] \in \mathcal{I}[d];$$

2.
$$\Im \models (d \sqsubseteq d') \text{ iff } \mathcal{I}[d] \subseteq \mathcal{I}[d'];$$

3.
$$\Im \models (d \doteq d') \text{ iff } \mathcal{I}[d] = \mathcal{I}[d'];$$

Assuming that d and d' are concepts, and c is a constant.